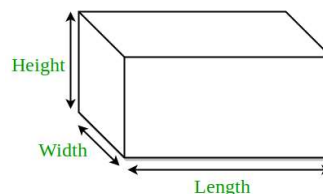


PARALLELOPIPED

It can also be called a rectangular parallelepiped. A cuboid has 12 edges and 8 vertices. Let us assume length, breadth, height of a cuboid be ℓ (length), b (width) and h (height) respectively.

Formulae:

- (a) Total surface area = $2(\ell b + bh + \ell h)$ square units,
- (b) Volume = (ℓbh) cubic units
- (c) Length of the diagonal = $\sqrt{\ell^2 + b^2 + h^2}$ units
- (d) Area of 4 walls of a room = $[2(\ell + b) \times h]$ square units



CUBES

If all the edges of cube are equal in length, it is called a cube.

For a cube, $\ell = b = h = a$ where a = length of the each edge of the cube

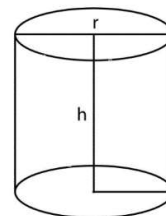
Formulae:

- (a) Total Surface Area = $6a^2$ square units.
- (b) Volume = a^3 cubic units.
- (c) Length of the diagonal = $\sqrt{3} a$ units.

RIGHT CIRCULAR CYLINDER

For a right circular cylinder of base radius r and height (or length) h , we have

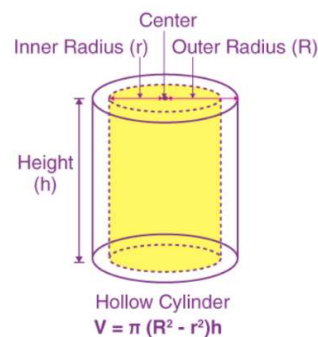
- (i) Area of each end = Area of base = πr^2
- (ii) Curved surface area = $2\pi rh$
 $= 2\pi r \times h$ = Perimeter of the base \times Height
- (iii) Total surface area = Curved surface area + Area of circular ends
 $= 2\pi rh + 2\pi r^2 = 2\pi r(h + r)$
- (iv) Volume = $\pi r^2 h$ = Area of the base \times Height



RIGHT CIRCULAR HOLLOW CYLINDER

Let R and r be the external and internal radii of a hollow cylinder of height h . Then,

- (i) Area of each end = $\pi(R^2 - r^2)$
- (ii) Curved surface area of hollow cylinder
 $=$ External surface area + Internal surface area
 $= 2\pi Rh + 2\pi rh$
 $= 2\pi(R + r)h$



$$(iii) \text{ Total surface area} = 2\pi Rh + 2\pi rh + 2(\pi R^2 - \pi r^2)$$

$$= 2\pi h(R+r) + 2\pi(R+r)(R-r)$$

$$= 2\pi(R+r)(R+h-r)$$

$$(iv) \text{ Volume of material} = \text{External volume} - \text{Internal volume}$$

$$= \pi R^2 h - \pi r^2 h = \pi(R^2 - r^2)h$$

RIGHT CIRCULAR CONE

A right circular cone is the solid generated by rotating a right angled triangle

Formulae:

For a right circular cone of height h , base radius r and slant height ℓ .

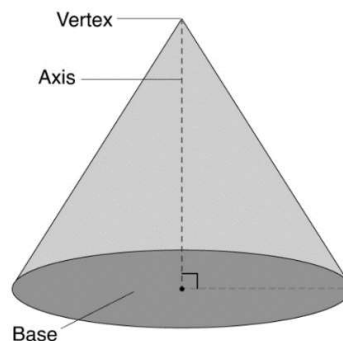
$$(a) \text{ Volume} = \frac{1}{3} \pi r^2 h$$

$$(b) \text{ Curved surface area} = \pi r \ell$$

$$(c) \text{ Total surface area} = \text{curved surface area} + \text{Base surface area}$$

$$= \pi r \ell + \pi r^2 = \pi r(\ell + r)$$

Note: ℓ, r, h are related as: $\ell = \sqrt{r^2 + h^2}$ (Pythagoras theorem)



SPHERE

For a sphere of radius r , we have

$$(i) \text{ Surface area} = 4\pi r^2$$

$$(ii) \text{ Volume} = \frac{4}{3} \pi r^3$$

For a hemisphere of radius r , we have

$$(i) \text{ Surface area} = 2\pi r^2$$

$$(ii) \text{ Total surface area} = 2\pi r^2 + \pi r^2 = 3\pi r^2$$

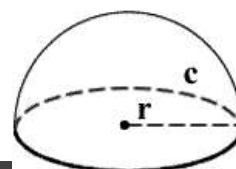
$$(iii) \text{ Volume} = \frac{2}{3} \pi r^3$$

HEMISPHERE

A plane through the centre of a sphere cuts it into two equal halves called hemispheres.

Formulae:

$$(a) \text{ Volume} = \frac{2}{3} \pi r^3$$



(b) Curved Surface Area = $2\pi r^2$

(c) Total Surfaces Area = $2\pi r^2 + r^2 = 3\pi r^2$

